

Bertrand Competition in Oligopsonistic Market Structures

The Case of the Indonesian Rubber Processing Sector

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IAMO Forum 2017, Halle, June 21st, 2017



Outline

- 1 Motivation
- 2 Empirical example
- 3 Model
- 4 Empirical approach
- 5 Data and selected findings
- 6 Summary



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Motivation

- Law of one price (LOP): prices of identical goods differ only by the trade costs between locations
- Empirics: Frequent violations
- One possible explanation – market power
- Research questions
 - Causes of violations of LOP?
 - Role of aggregation over time?
 - Market power: Dynamics between firms?



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- Specific questions
 - Theoretical explanations for violations of the LOP?
 - How to generate empirical evidence on that?
 - What are the implications of different levels of temporal aggregation?
 - How to generate insights on the dynamics between firms?
- What we do:
 - Model to explain deviations from LOP
 - Test for violations of LOP by empirical analysis – synchronising and staggering at different time horizons
 - Vector Error Correction Model for analyzing impulse Response functions (*not included in presentation*)



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Empirical example

- Rubber value chain in the Jambi Province, Indonesia
- Interface between agricultural supply (rubber farmers and intermediaries) and processing (crumb rubber factories)
- 251 000 rubber farmers, nine processors (five in the capital Jambi City)
- Processors are price takers on international market and set prices on the domestic market
- Price setting by processors on daily basis



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Market power

- Suppliers facing fixed cost for switching buyers (factories)
- Anecdotal 'evidence': stickiness of individual farmers' sales to a specific factory after price changes
- Components of switching costs: economic costs (getting information on the daily prices of all five factories in advance) and unobserved, informal relationships between farmer and factory



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Model

World demand for factory i 's output O_D^i :

$$O_D^i = \rho p_O^i \quad (1)$$

p_O is factory i 's output price.

Factory i 's production function:

$$O_S^i = A^i I_D^i \quad (2)$$

O_S^i : factory i 's output supply

A^i : factory i 's inverse input requirement (i.e., productivity) in transforming the rubber input I_D^i into crumb rubber



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Aggregate revenue R of all input suppliers (identical raw rubber quantity q) in a switching model:

$$R = r_1 q p^i + r_2 q \bar{p} + r_3 q p^i - \int_0^{r_3 q} \gamma x dx + r_4 q \bar{p} - \int_0^{r_4 q} \delta y dy \quad (3)$$

p^i : raw rubber price at factory i ; \bar{p} average price at other factories

Buyer in previous period	i		not i	
Buyer in current period	i	not i	i	not i
# of farmers	r_1	r_4	r_3	r_2

r_4 : farmers incurring switching cost for changing away from i

r_3 : farmers incurring switching cost for changing to factory i



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Rewritten in shares

θ^i : share of farmers selling to factory i in previous period
($1 - \theta^i$: farmers selling to other factories in previous period)
 ω^i : share of farmers selling to factory i in the current period.

$$R = q(\theta^i \omega^i p^i + (1 - \theta^i)(1 - \omega^i) \bar{p}) + (1 - \theta^i) \omega^i p^i + \theta^i (1 - \omega^i) \bar{p} \\ - \int_0^{(1-\theta^i)\omega^i q} \gamma x dx - \int_0^{\theta^i(1-\omega^i)q} \delta y dy \quad (4)$$



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Behavioural assumptions

Revenue maximisation: $\partial R / \partial \omega^i \stackrel{!}{=} 0$. Solving for ω^i : optimal share ω^i of farmers selling to factory i .

$$\omega^i = \frac{p^i - \bar{p} - \delta}{\delta + \gamma q(1 - \theta^i)^2} \quad (5)$$

Total raw rubber supply for factory i : $I_S^i = \omega^i Q$ with $Q = qF$ (Q : total farm output; F : number of farmers)

Input supply function for factory i in equation 6:

$$I_S^i = \frac{qF(p^i - \bar{p} - \delta)}{\delta + \gamma q(1 - \theta^i)^2} \quad (6)$$



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Model: Input demand

Market clearance at factory level

$$I_S^i \stackrel{!}{=} I_D^i \quad (7)$$

$$O_S^i \stackrel{!}{=} O_D^i \quad (8)$$

Combined with world demand share (eq. 1) and production function (eq. 2):

$$I_D^i = \frac{\rho p^i O}{A^i} \quad (9)$$



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Model: Optimal price

Substituting eqs. 9 and 6 into eq.7 and solving for the input price yields optimal sales price of factory i :

$$p_i^i = \rho p_O^i \frac{\delta + \gamma q(1 - \theta^i)^2}{A^i q F} + \bar{p} + \delta \quad (10)$$

Price depends

- on its own technology A^i
- ... total raw rubber supply – the larger qF , the lower the price
- ... market power only if switching costs γ and δ are non-zero



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- Synchronisation vs staggering: evidence for deviations from LOP
- Vector error correction model (VECM) and impulse response functions (IRFs): insights on the dynamics between stakeholders in the market (*not included in presentation*)



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Synchronisation vs staggering

- Synchronisation vs staggering: timing of price changes – whether or not prices change in parallel ('synchronized')
- *Intuition:* compare three sets of time series of prices:
 - Observed series
 - Artificial series with perfect staggering or synchronisation
 - Compare standard deviations of instances of price changes
- *Procedure:* standard deviation of hypothetical scenarios versus SD of the observed data.
 - Five factories: six discrete possibilities for the share of prices changes in any given period (0.0, 0.2, 0.4, 0.6, 0.8, 1.0)
 - Perfect synchronization: Either 0 or 1
 - Perfect staggering: average over the whole observation period
 - Temporal aggregation: daily – weekly – long-run



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- World prices: *PT. Kharisma* (Jakarta-based marketing company)



Data

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Handwritten note: Harga Bunker Bulan April 2012.

No.	Hari	PT. APD	PT. BHT	PT. DW	PT. HT	PT. RUC	H. Tbi.
1	Minggu	-	-	-	-	-	-
2	Senin	30,000	30,300	30,500	30,000	30,000	30,200
3	Selasa	30,000	30,300	30,500	30,000	30,000	30,200
4	Rabu	30,000	30,400	30,500	30,000	30,000	30,200
5	Kamis	30,000	30,100	30,500	30,000	29,000	29,000
6	Jumat	-	-	-	-	-	-
7	Sabtu	29,000	30,100	30,500	30,000	29,000	29,700
8	Minggu	-	-	-	-	-	-
9	Senin	29,000	30,100	30,500	30,000	29,000	29,700
10	Selasa	29,500	30,100	30,500	29,500	29,500	29,800
11	Rabu	29,500	29,800	30,500	29,500	29,000	29,700
12	Kamis	29,500	29,800	30,000	29,500	29,000	29,600
13	Jumat	29,500	29,800	30,000	29,500	30,000	29,800
14	Sabtu	29,500	29,800	29,500	29,000	30,000	29,600
15	Minggu	-	-	-	-	-	-
16	Senin	29,500	29,800	29,500	28,500	29,500	29,400
17	Selasa	29,500	29,800	29,500	28,500	29,500	29,400

Handwritten note: Wafat Isa Almasri

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Synchronisation vs. staggering

- *Short run (daily):*

- Average price changes: 31 % (221 over 705 days)
- Hypothetical standard deviation (SD): 0.464 for the case of perfect synchronization
- Observed SD of share of price changes per period 0.30
- Only 2/3 of perfect synchronisation SD
- Prices are not synchronised on a daily basis.
- Short-run – many other reasons for (not) changing prices = > comparison to a medium level of aggregation.



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Synchronisation vs. staggering

- *Short run (daily):*
 - Average price changes: 31 % (221 over 705 days)
 - Hypothetical standard deviation (SD): 0.464 for the case of perfect synchronization
 - Observed SD of share of price changes per period 0.30
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- *Medium run (weekly averages):*
 - Variable subject to investigation: number of processors changing the price during one week at least once
 - Observed data: mean = 0.9 and SD = 0.18
 - Indicates nearly perfect synchronisation on a weekly basis
 - (On a monthly basis, the synchronisation is perfect)
 - Note that this approach only captures whether a price has changed or not and does not suggest the magnitude.
- *Long run (4 years):*
 - Systematic differences in the processors' average margins
 - Large difference between average prices paid by the different processors
 - The highest and lowest mean margin differ by 5.9%



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Outline

- 1 Motivation
- 2 Empirical example
- 3 Model
- 4 Empirical approach
- 5 Data and selected findings
- 6 Summary**



Summary

- Our theoretical model shows that switching costs may enable market participants to exercise market power, even in otherwise competitive environments
- Deviations from the Law of One Price can be observed in the Jambinese rubber processing sector



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Thank you very much for your attention!

Questions, comments, suggestions are welcome!

Contact: bbruemm@gwdg.de



VECM results

VARIABLES	(1) D_ln_pBuy1	(2) D_ln_pBuy2	(3) D_ln_pBuy3	(4) D_ln_pBuy4	(5) D_ln_pBuy5	(6) D_ln_pWorld
L_ce1	-0.196*** (0.0329)	-0.0880*** (0.0276)	-0.127*** (0.0267)	-0.161*** (0.0247)	0.0265 (0.0248)	-0.0591 (0.0389)
LD.ln_pBuy1	-0.0728 (0.0491)	0.0878** (0.0413)	0.0384 (0.0399)	0.0280 (0.0369)	-0.00213 (0.0370)	-0.00498 (0.0581)
L2D.ln_pBuy1	-0.0660 (0.0466)	0.122*** (0.0392)	0.126*** (0.0379)	0.0933*** (0.0350)	0.0269 (0.0351)	0.00302 (0.0552)
L3D.ln_pBuy1	-0.0283 (0.0448)	0.0677* (0.0377)	0.0824** (0.0365)	0.108*** (0.0337)	0.0724** (0.0338)	-0.0456 (0.0530)
LD.ln_pBuy2	0.150*** (0.0531)	-0.162*** (0.0447)	0.151*** (0.0432)	0.0925** (0.0399)	0.0985** (0.0400)	0.0155 (0.0628)
L2D.ln_pBuy2	0.122** (0.0530)	-0.237*** (0.0446)	0.0245 (0.0432)	-0.0197 (0.0399)	-0.00473 (0.0400)	0.0920 (0.0628)
L3D.ln_pBuy2	-0.0243 (0.0530)	-0.114** (0.0446)	0.0351 (0.0431)	0.0251 (0.0398)	0.0382 (0.0399)	0.178*** (0.0627)
LD.ln_pBuy3	0.193*** (0.0652)	0.175*** (0.0548)	-0.140*** (0.0530)	0.205*** (0.0490)	0.158*** (0.0491)	-0.128* (0.0771)
L2D.ln_pBuy3	0.0734 (0.0674)	0.0930 (0.0567)	-0.0770 (0.0549)	0.175*** (0.0507)	0.162*** (0.0508)	-0.107 (0.0798)
L3D.ln_pBuy3	0.195*** (0.0653)	0.108* (0.0550)	-0.00220 (0.0532)	0.0837* (0.0491)	0.130*** (0.0492)	-0.0955 (0.0773)
LD.ln_pBuy4	0.153** (0.0612)	0.0828 (0.0515)	0.189*** (0.0498)	-0.0825* (0.0460)	-0.0485 (0.0461)	0.0990 (0.0724)
L2D.ln_pBuy4	0.116* (0.0612)	0.0935* (0.0515)	0.101** (0.0498)	-0.0412 (0.0460)	-0.0496 (0.0461)	-0.0182 (0.0724)
L3D.ln_pBuy4	0.0739 (0.0581)	0.0795 (0.0489)	0.0206 (0.0473)	-0.0853* (0.0437)	-0.0557 (0.0438)	0.176** (0.0688)



Impulse response functions

